

Equivalent Class Partitioning: An Example

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Exercise: Design Test Cases

Suppose that you are given a programming problem to determine whether a triangle is Equilateral (and valid) given 3 sides. We shall design/writing test cases before any code.

Complete the following:

1. Design a function/method prototype/header for a method that tells us whether a triangle is Equilateral (and valid) given 3 sides.
2. Design test cases for the function/method. Express the test case as a tuple for the Software-Under-Testing (SUT, the method/function) (test input, expected output)
3. Perform *equivalence class partitioning*, and create all necessary test cases.

Equivalence Class Partitioning

Equivalence class partitioning is a black-box testing strategy, and is based on specification.

Equivalence Class is a concept in Set Theory (Discrete Mathematics). The method is partitioning test cases into multiple disjoint sets, each is an equivalence class.

The objectives are

- ▶ to have a sense of “complete” testing, and
- ▶ to avoid redundancy.

Identifying the equivalence classes is still a heuristic process.

Equivalence Class Partitioning: Heuristics

Identifying the equivalence classes is still a heuristic process.

1. If an input condition specifies a range of values, identify one valid equivalence class and two invalid equivalence classes.

A student receives "A" with scores $x \in [90, 100]$: valid class $\{x | 90 \leq x \leq 100\}$, two invalid classes $\{x | x < 90\}$, $\{x | x > 100\}$

2. If an input condition specifies the number of values, identify one valid equivalence class and two invalid equivalence classes.

One or two instructors can be listed for a course section: valid class: x instructors listed where $x \in \{1, 2\}$; two invalid classes: no instructors listed $\{x | x = 0\}$, more than 2 instructors listed $\{x | x > 2 \wedge x \in \mathbb{Z}\}$.

Equivalence Class Partitioning: Heuristics

3. If an input condition specifies a set of input values, and there is reason to believe that the program handles each differently, identify a valid equivalence class for each and one invalid equivalence class.

Courses offered can be in-person, online, or hybrid: valid classes: {in-person class}, {online class}, {hybrid class}, invalid class: {undertermined}

4. If an input condition specifies a “must-be” situation (“must-be”, “shall-be”, “should-be”), identify one valid equivalence class and one invalid equivalence class.

The first character of a Java class name must be an uppercase letter: valid class: $\{x|x \text{ is a class name} \wedge x \text{ begins with an uppercase letter}\}$, invalid class: $\{x|x \text{ is not a class name} \vee x \text{ does not begin with an uppercase letter}\}$

Equivalence Class Partitioning: Heuristics

5. If there is any reason to believe that the program does not handle elements in an equivalence class identically, split the equivalence class into smaller equivalence classes.

Exercise: Design Test Cases: Sample Solution I

Suppose that you are given a programming problem to determine whether a triangle is Equilateral (and valid) given 3 sides. We shall design/writing test cases before any code.

Complete the following:

1. Design a function/method prototype/header for a method that tells us whether a triangle is Equilateral (and valid) given 3 sides.
`boolean isEquilateral(double x, double y, double z)`
2. Design test cases for the function/method. Express the test case as a tuple for the Software-Under-Testing (SUT, the method/function) (test input, expected output)
3. Perform *equivalence class partitioning*, and create all necessary test cases.

Exercise: Design Test Cases: Sample Solution II

```
boolean isEquilateral(double x, double y, double z)
```

- ▶ x: $\{x \mid 0 \leq x \leq \infty\}$, $\{x \mid x < 0\}$, $\{x \text{ is } \infty\}$
- ▶ y: $\{y \mid 0 \leq y \leq \infty\}$, $\{y \mid y < 0\}$, $\{y \text{ is } \infty\}$
- ▶ z: $\{z \mid 0 \leq z \leq \infty\}$, $\{z \mid z < 0\}$, $\{z \text{ is } \infty\}$

Exercise: Design Test Cases: Sample Solution III

```
boolean isEquilateral(double x, double y, double z)
```

- ▶ \mathbb{X} : $\{\{x|0 \leq x < \infty\}, \{x|x < 0\}, \{x \text{ is } \infty\}\}$
- ▶ \mathbb{Y} : $\{\{y|0 \leq y < \infty\}, \{y|y < 0\}, \{y \text{ is } \infty\}\}$
- ▶ \mathbb{Z} : $\{\{z|0 \leq z < \infty\}, \{z|z < 0\}, \{z \text{ is } \infty\}\}$

Perform a Cartesian product of the sets

$\mathbb{X} \times \mathbb{Y} \times \mathbb{Z}$

Exercise: Design Test Cases: Sample Solution IV

boolean isEquilateral(double x, double y, double z)

- ▶ \mathbb{X} : $\{\{x|0 \leq x < \infty\}, \{x|x < 0\}, \{x \text{ is } \infty\}\}$
- ▶ \mathbb{Y} : $\{\{y|0 \leq y < \infty\}, \{y|y < 0\}, \{y \text{ is } \infty\}\}$
- ▶ \mathbb{Z} : $\{\{z|0 \leq z < \infty\}, \{z|z < 0\}, \{z \text{ is } \infty\}\}$

Perform a Cartesian product of the sets

$\mathbb{X} \times \mathbb{Y} \times \mathbb{Z}$

Is there any reason to believe that the program does not handle elements in an equivalence class identically?

Exercise: Design Test Cases: Sample Solution V

Is there any reason to believe that the program does not handle elements in an equivalence class identically? How about

$$\{\{x|0 \leq x < \infty\}, \{\{y|0 \leq y < \infty\}, \{\{z|0 \leq z < \infty\}\}$$

Exercise: Design Test Cases: Sample Solution VI

Is there any reason to believe that the program does not handle elements in an equivalence class identically? How about

$$\{\{x|0 \leq x < \infty\}, \{\{y|0 \leq y < \infty\}, \{\{z|0 \leq z < \infty\}\}$$

- ▶ the class of (x, y, z) that makes a valid triangle
- ▶ the class of (x, y, z) that makes an invalid triangle

Exercise: Design Test Cases: Sample Solution VI

Is there any reason to believe that the program does not handle elements in an equivalence class identically? How about

$$\{\{x|0 \leq x < \infty\}, \{\{y|0 \leq y < \infty\}, \{\{z|0 \leq z < \infty\}\}$$

1. the class of (x, y, z) that makes valid triangles
 - 1.1 the class of (x, y, z) that makes Equilateral triangles
 - 1.2 the class of (x, y, z) that makes non-Equilateral triangles
2. the class of (x, y, z) that makes an invalid triangle
 - 2.1 Thinking about how the program may check whether if it is a valid triangle, we can consider a special case where there might be an overflow, e.g.,
if $(x+y < z)$ return false;

Exercise: Design Test Cases: Sample Solution VII

To give concrete test cases, sample each class for test cases (at least 1 each), e.g., in the format of $((x, y, z), r)$

```
((-1, 1, 1), false)
((-1, -1, 1), false)
((-1, -1, Double.POSITIVE_INFINITY), false)
((-1, -1, Double.NEGATIVE_INFINITY), false)
...
((1, 1, 1), true)
((3, 4, 5), false)
((3, 3, 7), false)
((3, 7, 3), false)
((7, 3, 3), false)
((Double.MAX_VALUE, Double.MAX_VALUE,
  Double.MAX_VALUE), true)
```